Math 20-2 Quadratic Word Problems

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1. The path of the ball for many golf shots can be modeled by a quadratic function. The path of a golf ball hit at an angle of about 10° to the horizontal can be modeled by the function $h(d) = -0.002d^2 + 0.4d$, where h(d) is the height of the ball, in metres, and d is the horizontal distance the ball travels, in metres, until it first hits the ground. Window/Sketch:

- a) What is the maximum height reached by the ball?
- b) What is the horizontal distance of the ball from the golfer when the ball reaches its maximum height?
- c) What distance does the ball travel horizontally until it first hits the ground?

2. The top of Harbour Centre, the tallest building in Vancouver, is 146 m above the ground. Suppose an object were thrown upward with an initial velocity of 24.5 m/s from this height. The height of the object above the ground, h(t) metres, t seconds after being thrown, would be given by the equation $h(t) = -4.9t^2 + 24.5t + 146$ Window/Sketch:

a) What would be the maximum height of the object above the ground, to the nearest tenth of a metre?

b) From the time the object was thrown, how many seconds would it take to reach the ground, to the nearest tenth of a second?

- 3. An amusement park charges \$8 admission and averages 2000 visitors per day. A survey shows that, for each \$1 increase in the admission cost, 100 fewer people would visit the park.
 - a) Use the table to show the pattern between park admission charges and visitors per day. Find the revenue for the park.

Admission	8	9	10	11	12
Visitors	2000				
Revenue					

- b) Write an equation to express the revenue:
 - Method one: Quad Regressin
 - Method two: Algebraic Function relating the Revenue to each price increase of *x* dollars.

c) Window/Sketch

- d) Find the coordinates of the maximum point of this function.
- e) What admission cost gives the maximum revenue?
- f) How many visitors give the maximum revenue?

- 4. A company that provides heli-skiing charges \$100 per person per run. At this price, they take 50 skiers each week to the top of the mountain. They estimate they will lose 2 customers for each \$10 increase.
 - a) Determine a revenue equation.
 - b) What price should be charged for maximum revenue?
 - c) How many skiers is this? What is the maximum revenue?
- 5. The Environmental Club sells sweatshirts as a fund-raiser. They sell 1200 shirts a year at \$20 each. They are planning to increase the price. A survey indicates that, for every \$2 increase in price, there will be a drop of 60 sales a year. What should the selling price be in order to maximize the revenue?